

Some notes on certain applications of the Tremblay operator in the complex plane

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The aim of this note is first to present some information associated with the Tremblay operator in the complex plane and then to determine some equations and inequalities constituted by the related operator and also to point certain useful implications out.

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