

## Certain Geometric Properties of Generalized Struve Functions

Nihat Yağmur<sup>1</sup>, Halit Orhan<sup>2</sup>, İbrahim Aktas<sup>3</sup>

<sup>1</sup>Department of Mathematics, Faculty of Arts and Sciences, Erzincan University, Erzincan, 24000, Turkey.

<sup>2</sup>Department of Mathematics, Faculty of Science, Ataturk University, Erzurum, 25240, Turkey.

<sup>3</sup>Department of Mathematical Engineering, Faculty of Engineering and Natural Science, Gümüşhane University, 29100 Gümüşhane-Turkey.

nhtyagmur@gmail.com, orhanhalit607@gmail.com, ibrahimaktas@gumushane.edu.tr

In the present work our aim is to establish some geometric properties (like univalence, starlikeness, convexity and close-to-convexity) for the generalized Struve functions. Moreover, the partial sums of normalized Struve functions and the partial sums of Alexander transform of normalized Struve functions are studied.

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